



Generalist: Decoupling Natural and Robust Generalization







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Paper: https://arxiv.org/pdf/2303.13813.pdf

Code: https://github.com/PKU-ML/Generalist

Adversarial Training

Adversarial attack



x
"panda"
57.7% confidence



 $\operatorname{sign}(\nabla_{\boldsymbol{x}}J(\boldsymbol{\theta},\boldsymbol{x},y))$ "nematode" 8.2% confidence



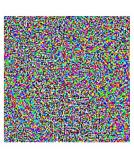
 $x + \epsilon sign(\nabla_x J(\theta, x, y))$ "gibbon"

99.3 % confidence

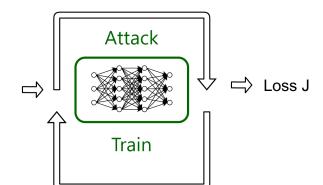
Adversarial training



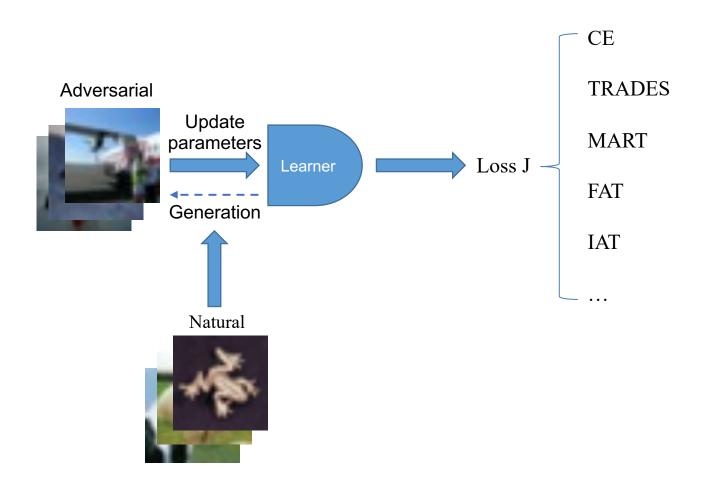
 \boldsymbol{x}



 $\mathrm{sign}(\nabla_{\boldsymbol{x}}J(\boldsymbol{\theta},\boldsymbol{x},y))$

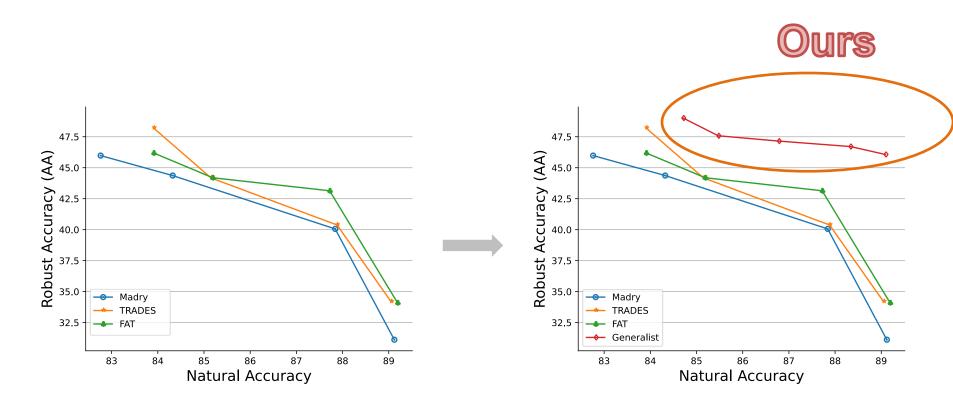


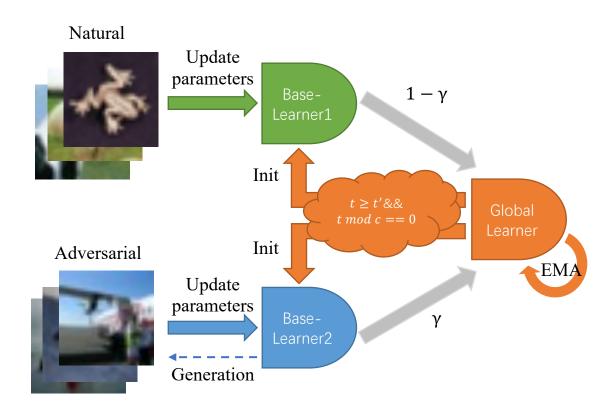
One learner for all?



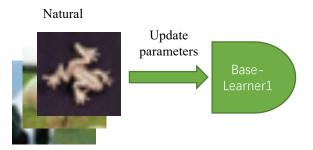
Motivation

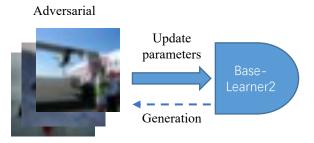
- Undesirable increase in the natural error when the adversarial error decreases (e.g. TRADES, FAT)
- Not flexible training configurations in the joint training framework





Epoch < t'

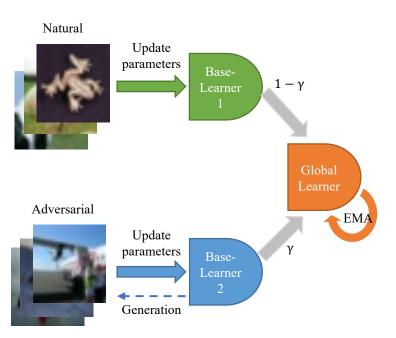




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for \mathbf{t} \leftarrow 1, 2, \cdots, T do Sample a minibatch (x,y) from data distribution \mathcal{D}_1 /* Parallel-1: Update parameters of base learner-1 over \mathcal{D}_1*/ (Optional) Performing model ensembling, data augmentation or label smoothing, etc. \theta_n \leftarrow \mathcal{Z}_n \left[\mathbb{E}_{(x,y)}(\nabla_{\theta}\ell_1(x,y;\theta_n)), \tau_n\right] /* Parallel-2: Update parameters of base learner-2 over \mathcal{D}_2*/ x_0' \leftarrow x + \varepsilon, \varepsilon \sim \text{Uniform}(-\varepsilon, \varepsilon). for \mathbf{k} \leftarrow 1, 2, \cdots, K do x_k' \leftarrow \Pi_{x_k' \in \mathbb{B}_{\varepsilon}(x)} \left(\kappa \operatorname{sign}\left(x_{k-1}' + \nabla_{x_{k-1}'}\ell_2(x_{k-1}', y; \theta_r)\right)\right) end for (Optional) Performing model ensembling, data augmentation or label smoothing, etc. \theta_r \leftarrow \mathcal{Z}_r \left[\mathbb{E}_{(x_s',y)}(\nabla_{\theta}\ell_2(x_{K}',y;\theta_r)), \tau_r\right]
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end for

• Epoch < t'

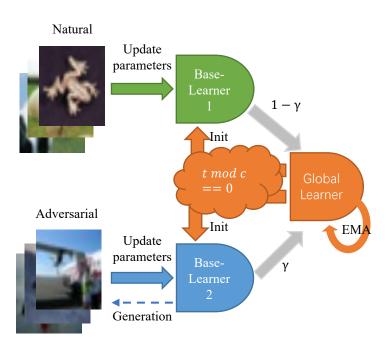


for $t \leftarrow 1, 2, \cdots, T$ do
Sample a minibatch (x, y) from data distribution \mathcal{D}_1

/* For the global learner*/
$$\theta_g \leftarrow \alpha' \theta_g + (1 - \alpha')(\gamma \theta_r + (1 - \gamma)\theta_n)$$

end if end for

• Epoch $\geq t'$



for $t \leftarrow 1, 2, \cdots, T$ do Sample a minibatch (x, y) from data distribution \mathcal{D}_1

 $\begin{array}{l} \text{if } t \geq t' \text{ and } t \mod c == 0 \text{ then} \\ \theta_r, \theta_n \leftarrow \theta_g \\ \text{end if} \\ \text{end for} \end{array}$

Advantages

- Decouple task-aware assignments from joint training
 - Each base learner can wield customized strategies (e.g., EMA, augmentations) for better performance
 - Lower error in sub-tasks results in a lower error bound for the global learner (Theorem 1)
- ➤ Initialize base learners from the global learner
 - Enable fast learning within a given assignment and improve generalization (Claim in Section 3.3)

Experiments

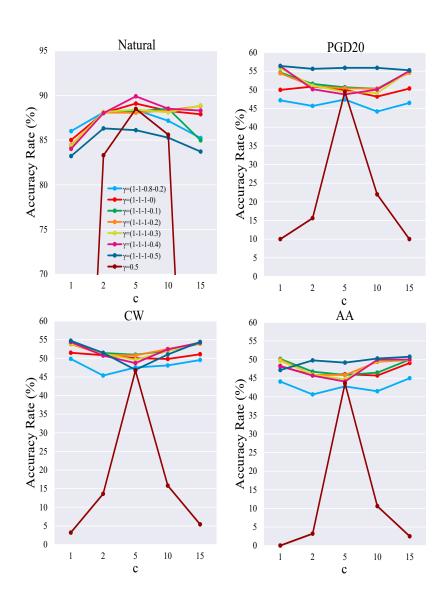
ResNet-18 on CIFAR-10

Method	NAT	PGD20	PGD100	MIM	CW	$APGD_{ce}$	$APGD_{dlr}$	$APGD_t$	FAT_t	Square	AA
NT	93.04	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00	0.00
$AT (\beta = 1)$	84.32	48.29	48.12	47.95	49.57	47.47	48.57	45.14	46.17	54.21	44.37
$AT (\beta = 1/2)$	87.84	44.51	44.53	47.30	44.93	40.58	42.55	40.20	44.56	50.76	40.06
TRADES ($\lambda = 6$)	83.91	54.25	52.21	55.65	52.22	53.47	50.89	48.23	48.53	55.75	48.20
TRADES ($\lambda = 1$)	87.88	45.58	45.60	47.91	45.05	42.95	42.49	40.38	43.89	53.49	40.32
FAT	87.72	46.69	46.81	47.03	49.66	46.20	47.51	44.88	45.76	52.98	43.14
IAT	84.60	40.83	40.87	43.07	39.57	37.56	37.95	35.13	36.06	49.30	35.13
RST	84.71	44.23	44.31	45.33	42.82	41.25	42.01	40.41	46.54	50.49	37.68
Generalist	89.09	50.01	50.00	52.19	50.04	46.53	48.70	46.37	47.32	56.68	46.07

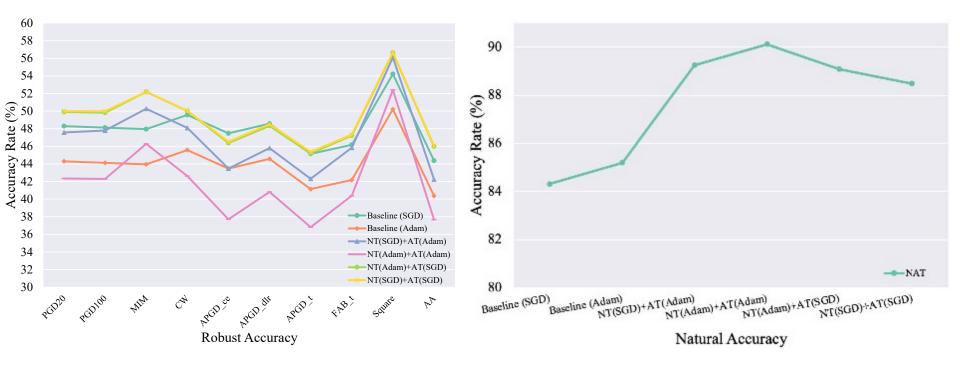
• WRN-32-10 on CIFAR-10

Method	NAT	PGD20	PGD100	MIM	CW	$APGD_{ce}$	$APGD_{dlr}$	$APGD_t$	FAT_t	Square	AA
NT	93.30	0.01	0.02	0.05	0.00	0.00	0.00	0.00	0.87	0.28	0.00
AT $(\beta = 1)$	87.32	49.01	48.83	48.25	52.80	48.83	49.00	46.34	48.17	54.26	46.11
AT $(\beta = 1/2)$	89.27	48.95	48.86	51.35	49.56	45.98	47.66	44.89	46.42	56.83	44.81
TRADES ($\lambda = 6$)	85.11	54.58	54.82	55.67	54.91	54.89	55.50	52.71	52.61	57.62	52.19
TRADES ($\lambda = 1$)	87.20	51.33	51.65	52.47	53.19	51.60	51.88	49.97	50.01	54.83	49.81
FAT	89.65	48.74	48.69	48.24	52.11	48.50	48.81	46.70	46.17	51.51	44.73
IAT	87.93	50.55	50.72	52.37	48.71	47.71	46.55	43.84	45.78	56.52	43.80
RST	87.27	46.55	46.76	47.02	45.99	45.73	46.58	45.78	43.18	52.44	41.52
Generalist	91.03	56.88	56.92	58.87	57.23	53.94	55.80	53.00	53.65	63.10	52.91

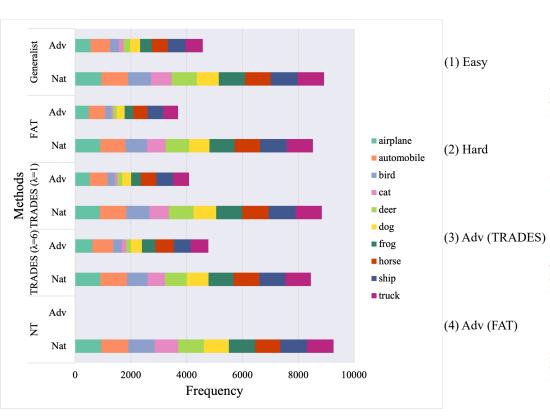
Communication frequency and mixing ratio



Different Optimizers



Visualization



(1) Easy



Generalist: horse



TRADES: horse Generalist: bird Label: bird



TRADES: dog Generalist: frog Label: frog

TRADES: truck

Generalist: bird

TRADES: truck

Generalist: airplane

Label: bird



TRADES: airplane Generalist: bird Label: bird



TRADES: airplane Generalist: cat Label: cat

TRADES: truck

Generalist: cat

Label: cat



TRADES: cat Generalist: deer



Label: deer





TRADES: dog Generalist: bird Label: bird



FAT: ship Generalist: horse Label: horse

TRADES: horse Generalist: deer Label: derr



FAT: frog Generalist: deer Label: deer



TRADES: bird

Generalist: cat

TRADES: airplane

Generalist: ship

FAT: automobile

Generalist: truck

Label: truck

Label: ship

Label: cat

Label: horse



TRADES: horse Generalist: dog Label: dog



TRADES: dog Generalist: cat Label: cat



FAT: airplane





Generalist: bird Label: bird



FAT: airplane Generalist: ship Label: ship

Conclusion

- Propose a bi-expert framework named Generalist for mitigating the tradeoff between natural and robust generalization
- By decoupling from the joint training paradigm, each base learner can wield customized strategies based on data distribution
- Theoretically and empirically justify the effectiveness of Generalist

Poster Session

Fri 23 Jun 1:30 a.m. CST — 3 a.m. CST

West Building Exhibit Halls ABC 388