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**CVPR** VANCOUVER, CANADA



# GEN: Pushing the Limits of Softmax-Based Out-of-Distribution Detection

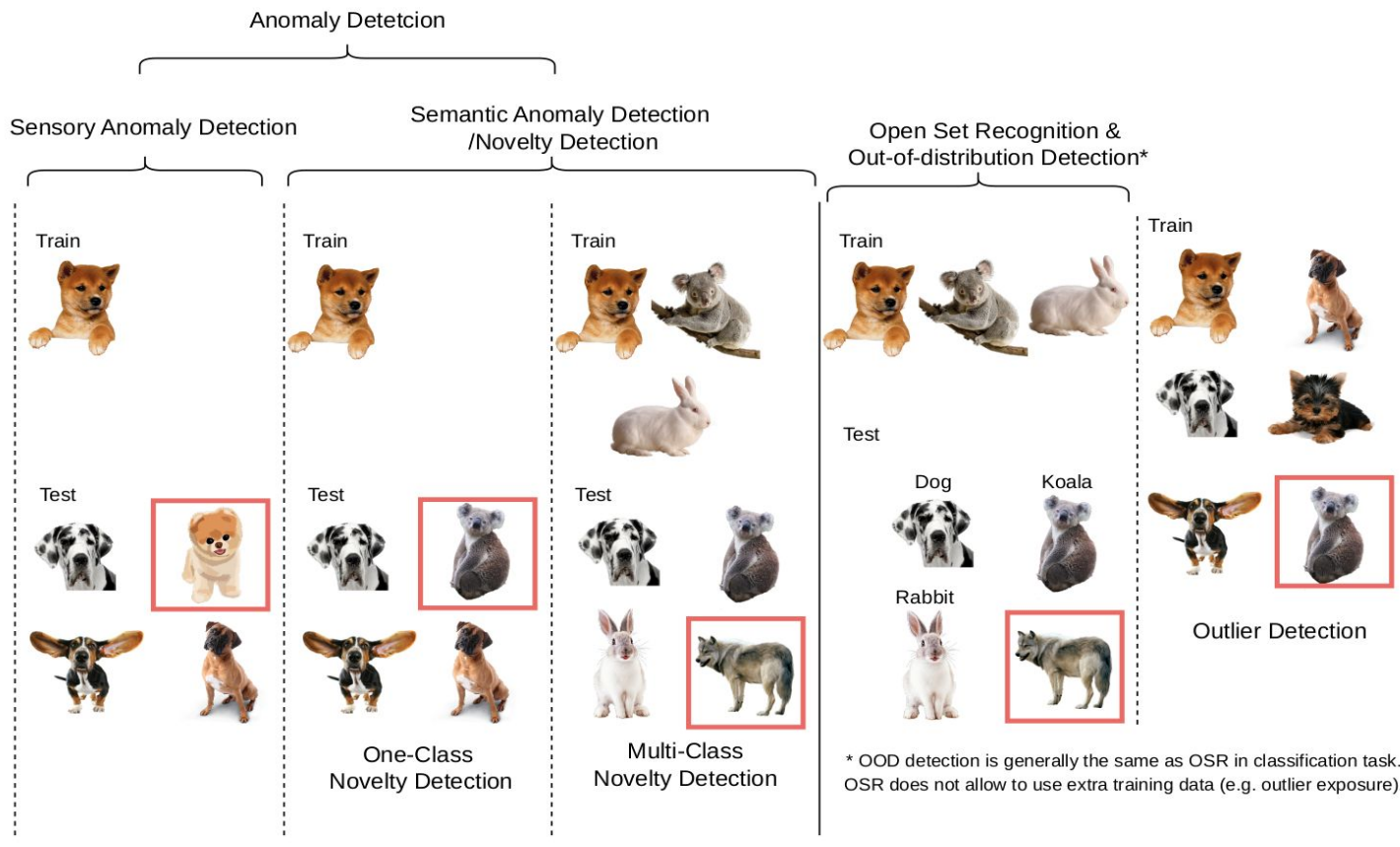
Xixi Liu, Yaroslava Lochman, Christopher Zach

Chalmers University of Technology

# Why OOD detection?

- Diverse inputs
  - To ensure the reliability of the deep learning models
    - high-stake tasks, such as medical image analysis and autonomous driving.
  - OOD detection:
    - differentiates between in-distribution (ID) and out-of-distribution (OoD) inputs at test time.
  - A model should know what they do not know.
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# Generalized OOD detection



Reproduced from “Generalized OOD Detection: A Survey”, Jingkang Yang et al., 2021.

# Distributional shift

- Semantic shift
    - $P_{\text{train}}(Y) \neq P_{\text{test}}(Y)$
    - The occurrence of new classes
    - Novelty detection and OOD detection
  - Covariate shift
    - $P_{\text{train}}(X) \neq P_{\text{test}}(X)$
    - Style change or adversarial examples
    - Sensory anomaly detection
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# Classification-based method

- Require a softmax-based (pre-trained) classifier
  - **Post-hoc method**
    - aims to design a suitable score function for distinguishing between ID and OOD data accurately given a pre-trained classifier.
  - Enhancing method
    - modifies features from intermediate layers to enhance OOD performance for given score functions.
  - Training loss modification
    - incorporates OOD samples (e.g. outlier exposure/synthesis) in the training procedure to perform OOD detection.

Train



Test

Dog



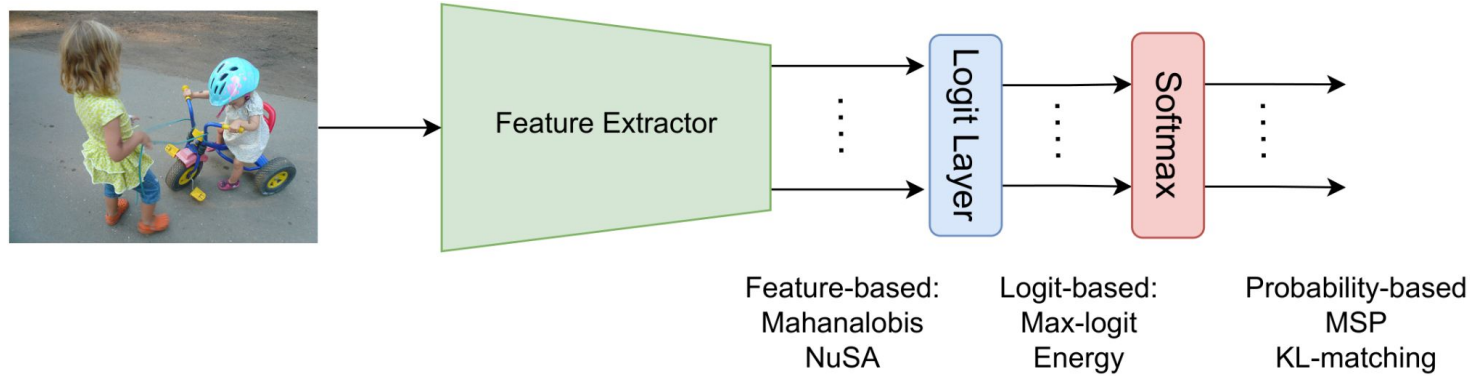
Koala



Rabbit



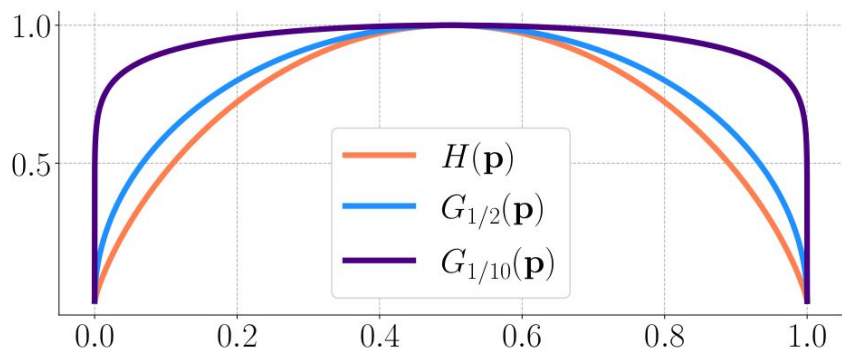
# Post-hoc methods



- Overhead cost of retraining is avoided
- Use both feature and predictive distribution
  - GradNorm and predictive normalized maximum likelihood (pNML)
- Use both feature and logit:
  - Virtual-logit Matching (ViM)

$$G_\gamma(\mathbf{p}) = \sum_j p_j^\gamma (1 - p_j)^\gamma, \gamma \in (0, 1).$$

# Generalized entropy



*Assumption:* In-distribution test samples close to the training data are expected to result in a confident prediction.

$$G_\gamma(\mathbf{p}) = \sum_j p_j^\gamma (1 - p_j)^\gamma, \gamma \in (0, 1).$$

# Truncation

Considering sorted predictive probabilities,  $p_{j_1} \geq p_{j_2} \geq \dots \geq p_{i_C}$ ,

our score is designed to capture small entropy variations in the top-M classes.

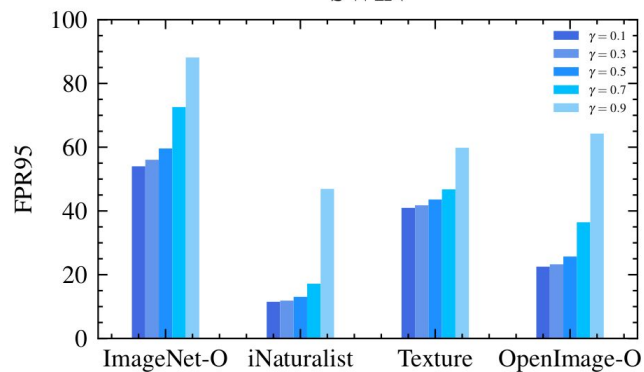
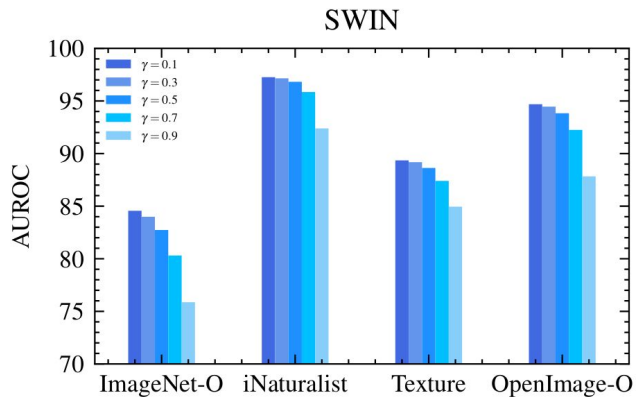
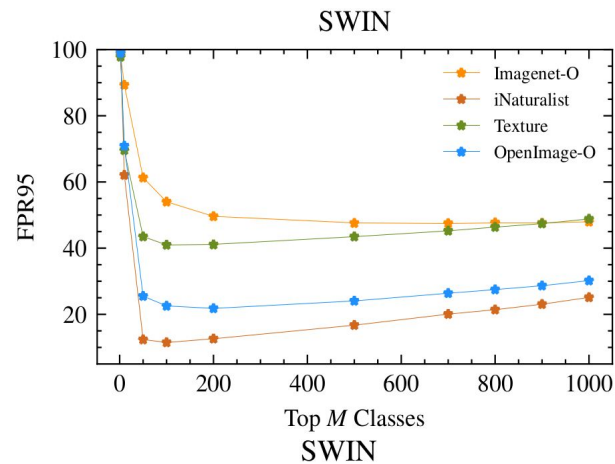
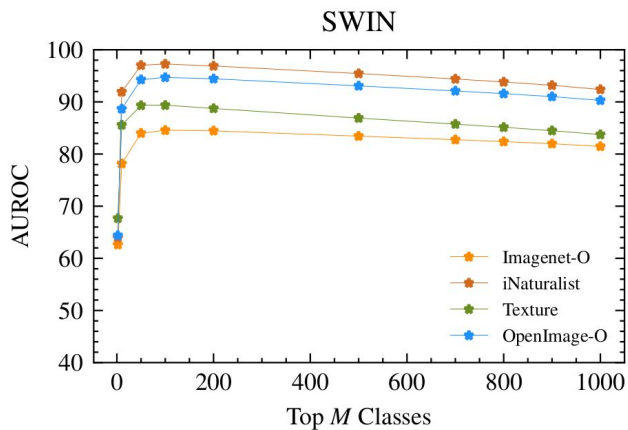
The final score reads as

$$-G_\gamma(\mathbf{p}) = -\sum_{m=1}^M p_{i_m}^\gamma (1 - p_{i_m})^\gamma$$

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# Selected Results



# Selected Results

OOD Method		OpenImage-O		Textures		iNaturalist		ImageNet-O		Average	
		AUROC $\uparrow$	FPR95 $\downarrow$	AUROC $\uparrow$	FPR95 $\downarrow$	AUROC $\uparrow$	FPR95 $\downarrow$	AUROC $\uparrow$	FPR95 $\downarrow$	AUROC $\uparrow$	FPR95 $\downarrow$
Post-hoc	MSP [4]	86.62	55.87	82.58	63.20	90.45	44.01	66.56	82.97	81.55	61.51
	MaxLogit [1]	86.26	52.33	82.57	59.18	89.82	43.41	68.77	76.47	81.85	57.85
	EnergyBased [5]	83.91	55.87	80.52	62.79	86.89	51.55	69.01	<b>73.99</b>	80.08	61.05
	GradNorm [7]	54.82	78.12	60.31	76.58	56.83	75.14	51.02	85.47	55.75	78.83
	ODIN [6]	86.80	50.74	83.10	58.12	89.62	43.79	68.42	77.09	81.98	57.44
	ReAct*	84.21	55.69	80.96	62.70	87.03	51.29	69.34	<u>74.10</u>	80.39	60.94
	Shannon	81.98	52.06	83.97	59.18	91.48	41.56	68.99	70.71	83.09	57.63
	GEN	<u>89.83</u>	<u>49.04</u>	<u>86.19</u>	<b>55.65</b>	<u>93.27</u>	<u>35.59</u>	<u>73.69</u>	77.83	<u>85.74</u>	<u>54.53</u>
GEN + ReAct*	<b>90.07</b>	<b>49.00</b>	<b>86.62</b>	<u>55.66</u>	<b>93.38</b>	<b>35.54</b>	<b>74.11</b>	77.87	<b>86.04</b>	<b>54.52</b>	
Require ID	KL Matching [1]	89.03	50.57	86.10	55.86	92.45	36.05	72.69	77.97	85.07	55.11
	Mahalanobis [2]	89.56	50.86	91.99	37.62	92.37	42.05	81.89	71.57	88.95	50.52
	ReAct [8]	79.84	54.40	81.92	54.44	82.80	46.29	69.03	72.87	78.40	57.00
	pNML [9]	90.61	<b>41.76</b>	89.91	37.20	93.49	<b>31.42</b>	73.94	71.12	86.99	45.38
	Residual [3]	87.14	56.00	91.90	36.84	89.41	48.04	81.22	71.20	87.42	53.02
	ViM [3]	<u>91.85</u>	43.16	<b>93.43</b>	<b>30.04</b>	93.47	37.41	<b>83.07</b>	<b>66.72</b>	<u>90.45</u>	<u>44.33</u>
	GEN + ReAct [8]	90.59	46.94	88.76	50.91	<u>93.89</u>	<u>32.70</u>	75.76	76.76	87.25	51.83
	GEN + Residual	<b>92.23</b>	<u>42.05</u>	<u>93.01</u>	<u>31.69</u>	<b>94.36</b>	33.85	<u>82.58</u>	<u>69.24</u>	<b>90.55</b>	<b>44.21</b>

# Conclusion

- ✓ GEN uses output probabilities only.
- ✓ It does not use any training data statistics.
- ✓ It does not require re-training and/or outlier exposure.

Yet it performs very well across four datasets and six architectures, meaning that it can potentially be used in more constrained model deployment scenarios!

