

# Semi-Supervised Domain Adaptation with Source Label Adaptation

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Thu-PM-334

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# Semi-Supervised Domain Adaptation



A bunch of source data



A few labeled target data

Adaptation  
→



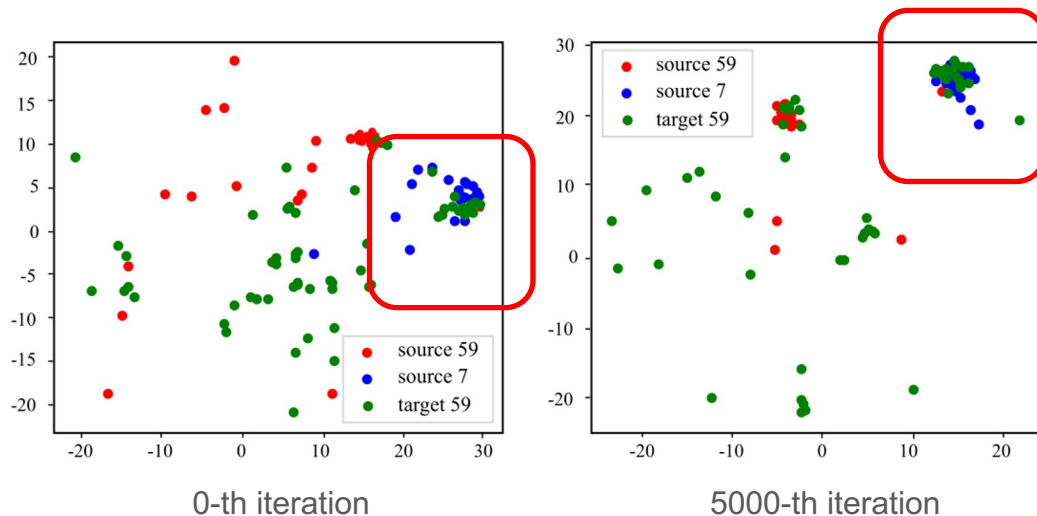
Many unlabeled target data

Goal:

- Extract invariant features across both domains
- Transfer knowledge from a source domain to another target domain

# Challenge

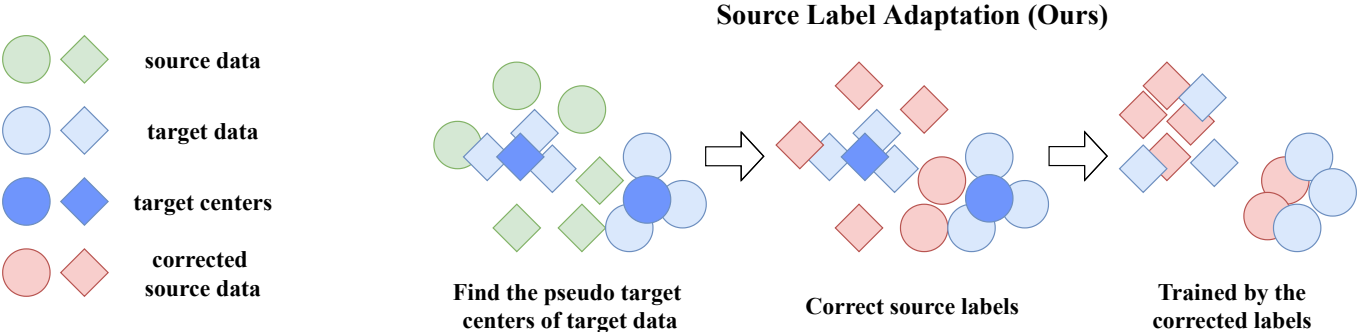
- Domain shift
  - There is a misalignment between the 7th class of the source data and the 59th class of the target data.



# Proposed Framework

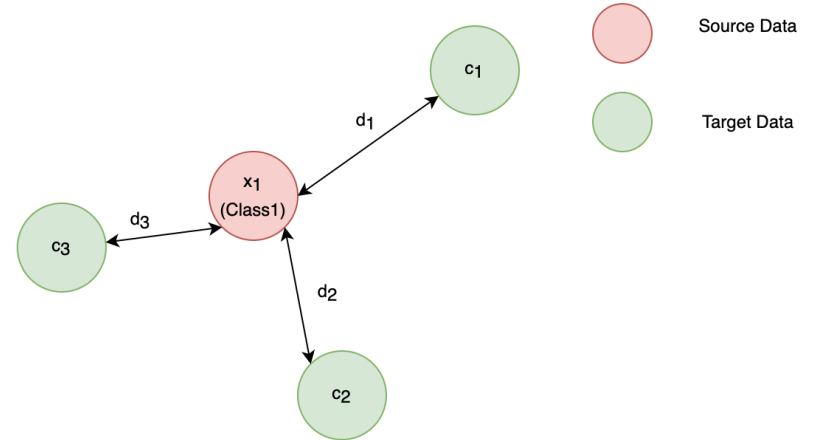
## Source Label Adaptation (SLA)

- A novel source-adaptive paradigm for Semi-Supervised Domain Adaptation.



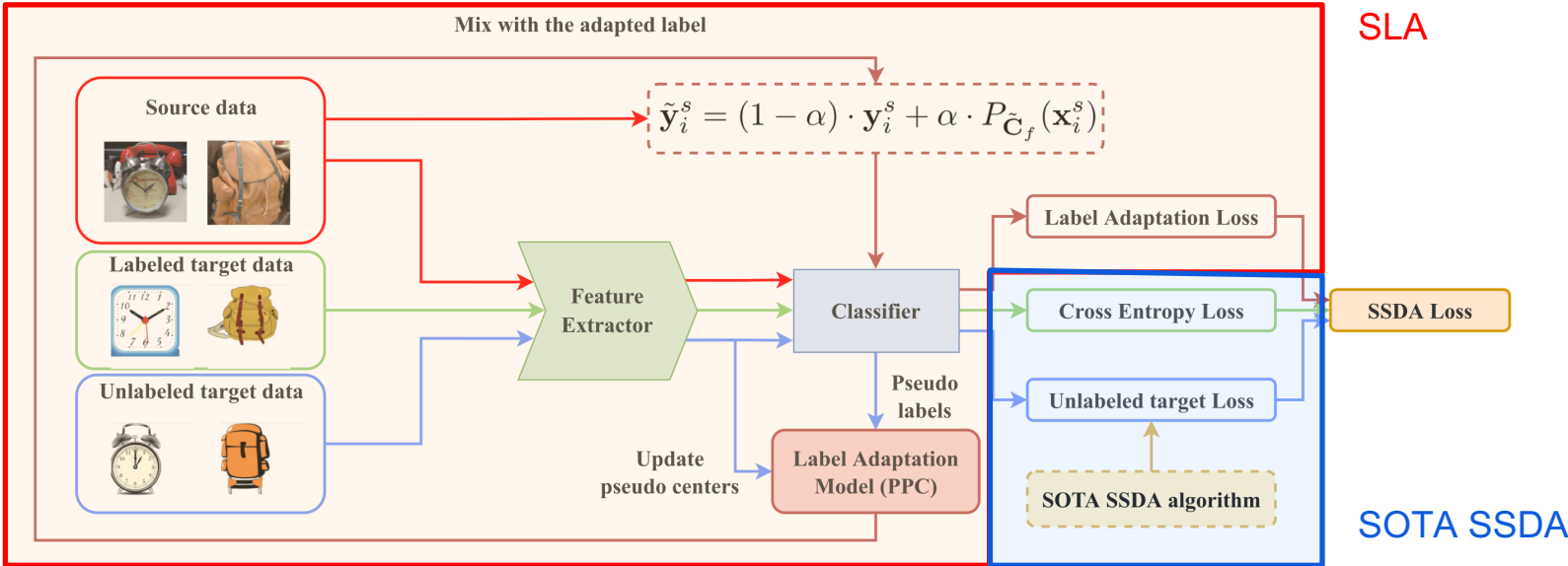
# Key Ideas

- View the source data as a version of the target data with noisy labels
- Correct the source labels with the estimated target centers in the current feature space.

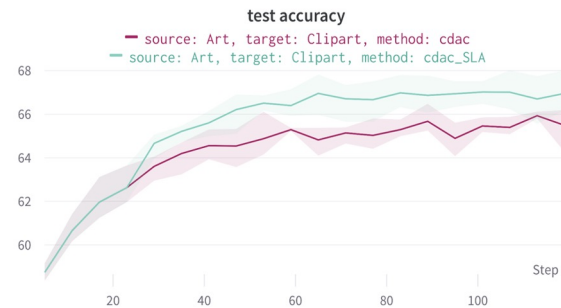
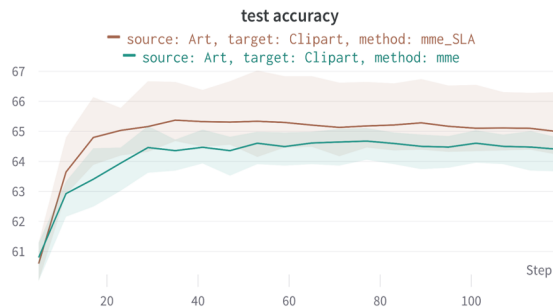
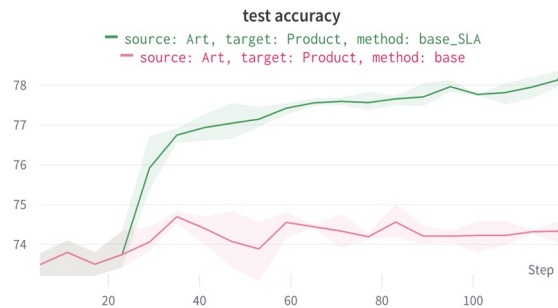
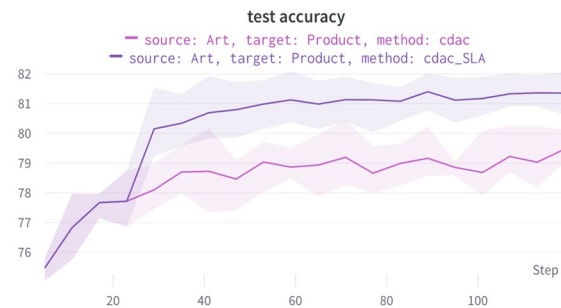
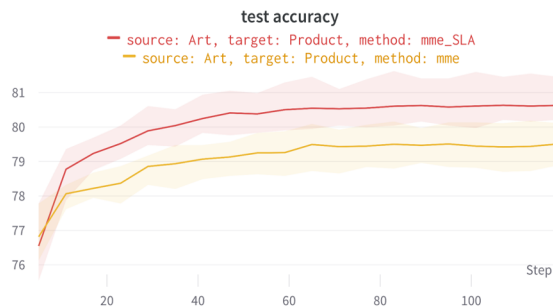
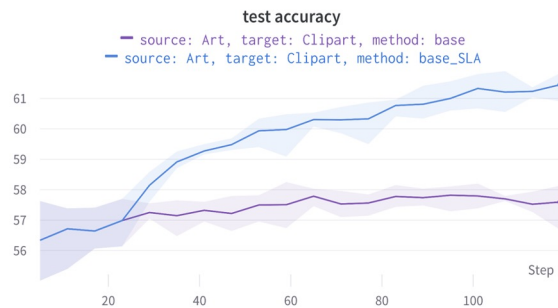


# Source Label Adaptation (SLA)

- The framework can be easily coupled with the current SOTA SSDA methods.



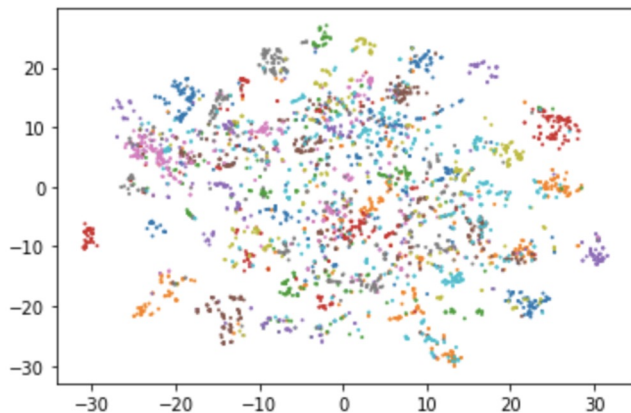
# Experiment



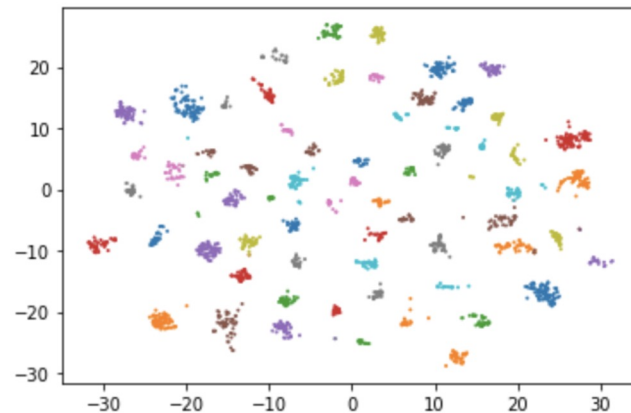


# Motivation

- Goal: Find an ideal model  $g^*$  that can minimize the target risk
- For each source data  $x^s$ ,  $g^*(x^s)$  is the **most suitable label** that best matches the ideal target space.



$g^*(x^s)$ : The most suitable label for source data in the ideal target space



$g^*(x^t)$ : the ideal target space

# Source Label Adaptation

- We propose to adapt the original source label  $y^s$  to the ideal label  $g^*(x^s)$ .

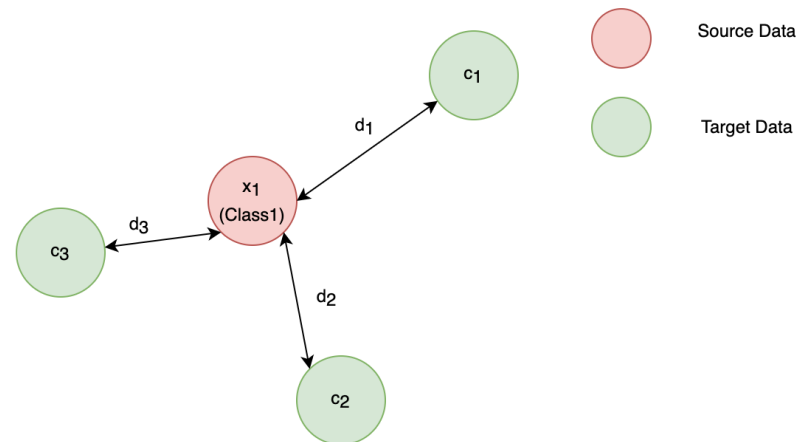
$$\begin{array}{ccc} \mathbf{y}^s & \xrightarrow{\text{Label Adaptation}} & g^*(\mathbf{x}^s) \\ \text{Noisy} & & \text{Clean} \end{array}$$

- However, we are not able to access the ideal model  $g^*$ .
  - Approximate it through the current estimation of the unlabeled target data

# Prototypical Network (Protonet)

- Find the center  $c_k$  of class  $k$  over a certain feature space.
- Make predictions by the distance between the data point and each center.

$$P(\mathbf{x})_k = \frac{\exp(-d(f(\mathbf{x}), \mathbf{c}_k))}{\sum_{j=1}^K \exp(-d(f(\mathbf{x}), \mathbf{c}_j))}$$



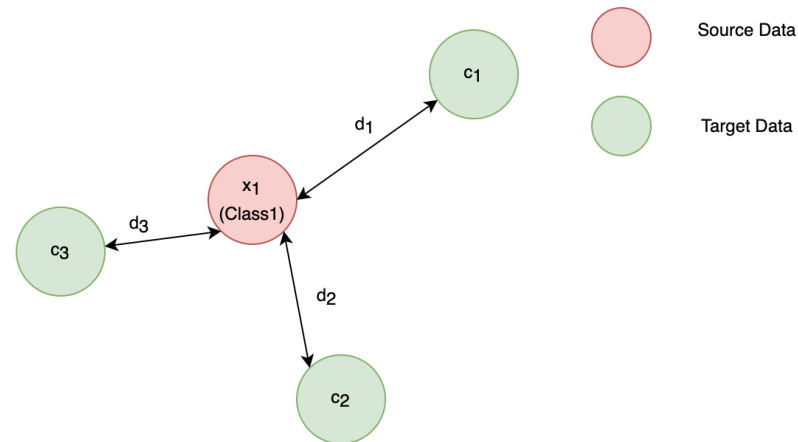
# Protonet with Target Centers

- We have access to a few target data.

- Protonet with Target Centers

- Challenge

- We have only 1 or 3 shot per class
- The estimation might be inaccurate

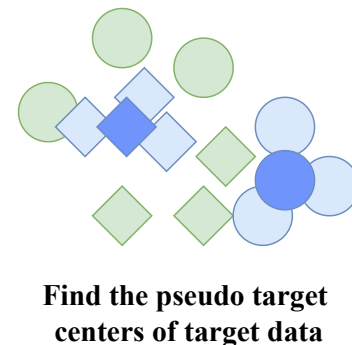
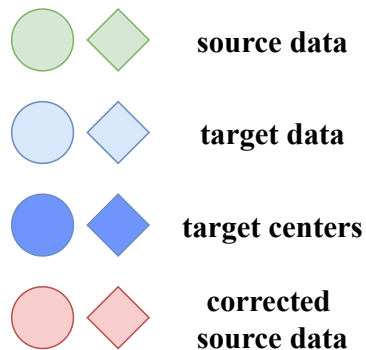


# Protonet with Pseudo Centers (PPC)

1. Determine the pseudo label for each unlabeled target data  $x_i^u$ .

$$\tilde{y}_i^u = \arg \max_k g(\mathbf{x}_i^u)_k$$

2. Find the pseudo center  $c_k$  for each class  $k$ , and construct a prototypical network  $P$  based on these centers.



# Distance Comparison

From / To	labeled target centers	pseudo centers
ideal centers	10.02	4.06

Table 3. Average L2 Distance from ideal centers to labeled target centers / pseudo centers over the feature space trained by S+T (3-shot *Office-Home* A  $\rightarrow$  C with ResNet34).

# Label Adaptation Loss

- Protonet with Pseudo Centers is still an estimation of the target view.
- We introduce a hyper-parameter  $\alpha$  to regularize the level of trust to this estimation.
- The adapted label  $\tilde{\mathbf{y}}_i^s$  is defined as follow:

$$\tilde{\mathbf{y}}_i^s = (1 - \alpha) \cdot \mathbf{y}_i^s + \alpha \cdot P(\mathbf{x}_i^s)$$

The diagram shows the equation  $\tilde{\mathbf{y}}_i^s = (1 - \alpha) \cdot \mathbf{y}_i^s + \alpha \cdot P(\mathbf{x}_i^s)$  with three colored boxes: a red box around  $\tilde{\mathbf{y}}_i^s$ , a yellow box around  $\mathbf{y}_i^s$ , and a blue box around  $P(\mathbf{x}_i^s)$ . Lines connect these boxes to labels on the right: a red line from the red box to "adapted label", a blue line from the blue box to "suggested adapted label from PPC", and a yellow line from the yellow box to "original label".

- We propose a label adaptation loss to replace the typical source loss function.
  - $H$  measures the cross entropy between two distributions.

$$\tilde{\mathcal{L}}_s(g|S) = \frac{1}{|S|} \sum_{i=1}^{|S|} H(g(\mathbf{x}_i^s), \tilde{\mathbf{y}}_i^s)$$

# Combine with SOTA SSDA Algorithms

- Typical SSDA algorithms usually attempt to explore better use of the unlabeled target data.

$$\mathcal{L}_{\text{SSDA}} = \mathcal{L}_s + \mathcal{L}_l + \mathcal{L}_u$$

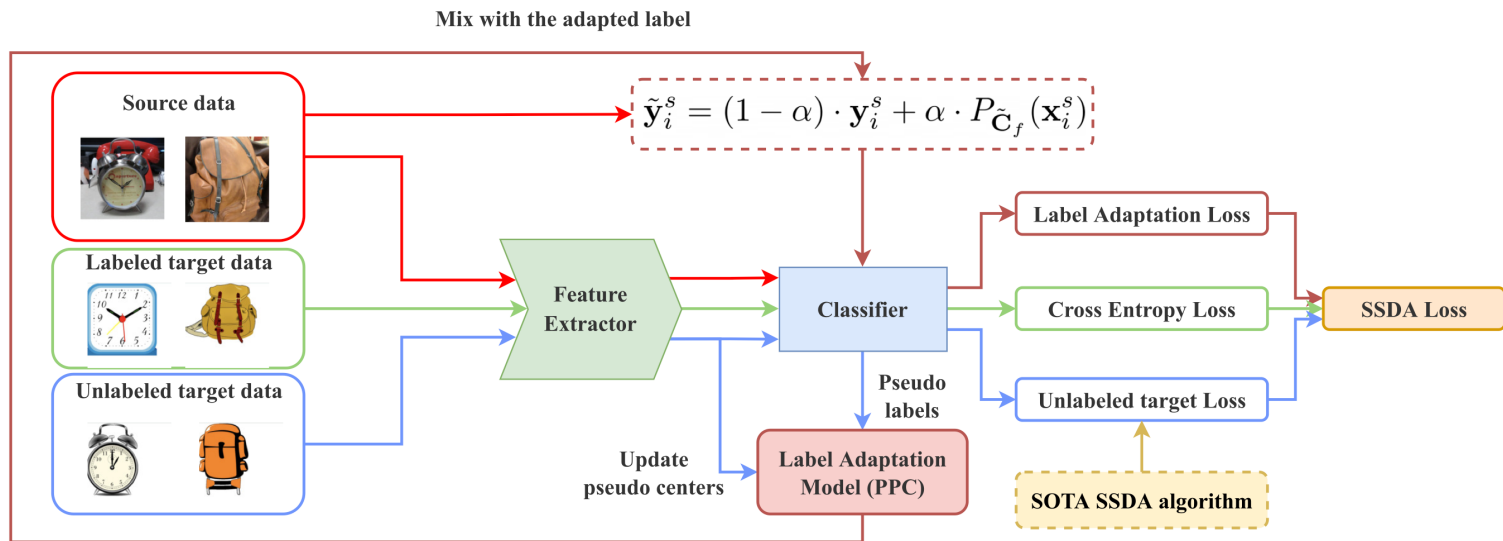
- Our framework, on the other hand, explores the training of source data with adapted labels to better align with the ideal target space.

$$\mathcal{L}_{\text{SSDA w/ SLA}} = \tilde{\mathcal{L}}_s + \mathcal{L}_l + \mathcal{L}_u$$

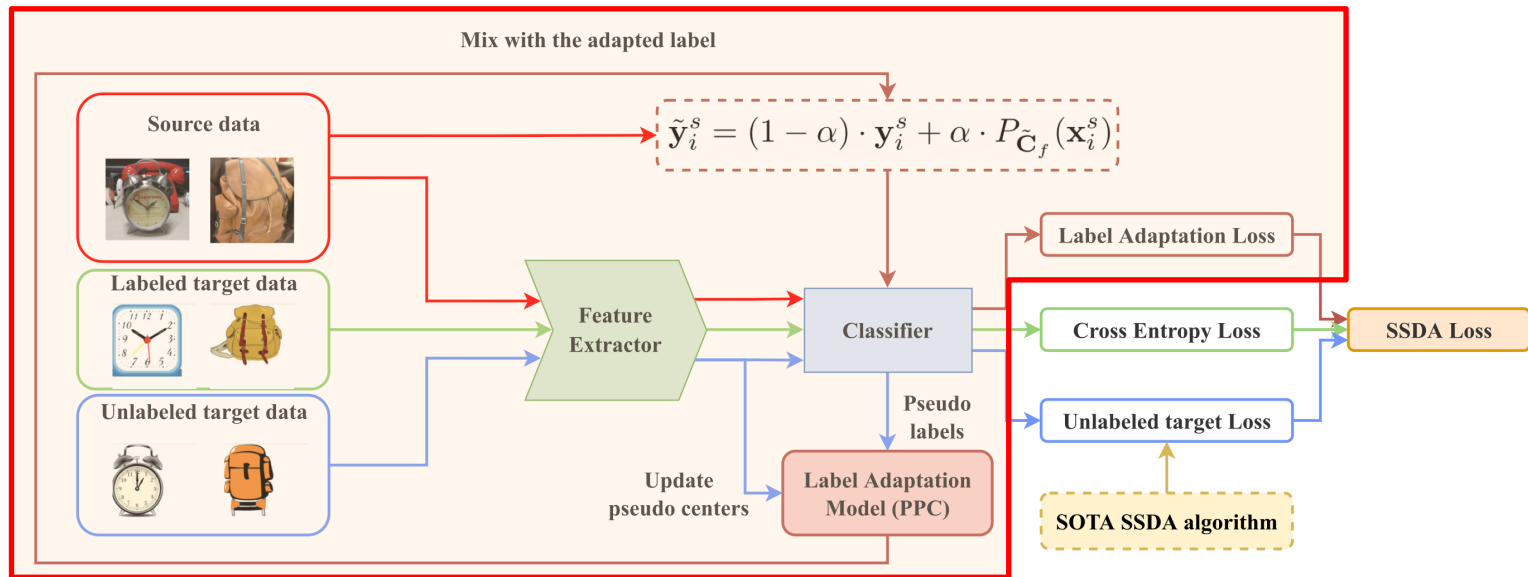
- Thus, we can easily apply our framework to other SSDA algorithms, further boost their performance.



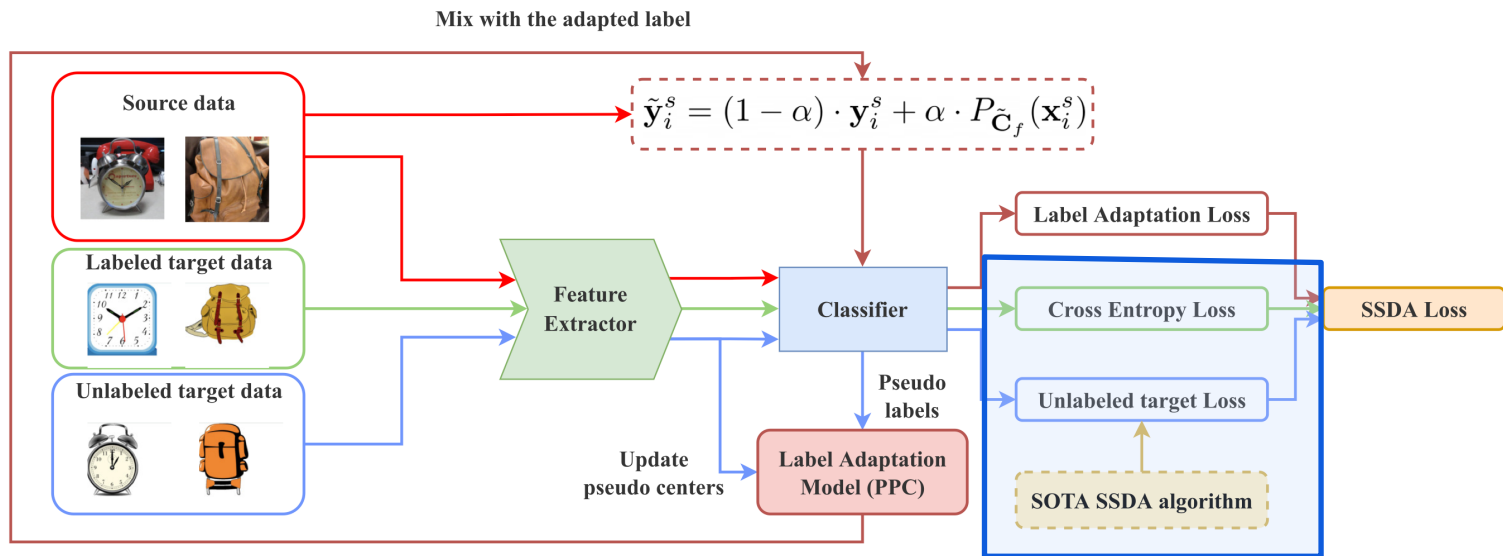
# Source Label Adaptation (SLA)



# Source Label Adaptation (SLA)



# Source Label Adaptation (SLA)



# Implementation Details

- Warmup Stage
  - Our label adaptation framework relies on the quality of the predicted pseudo labels.
  - The prediction from the initial model can be noisy.
  - We introduce a warmup stage  $W$  to obtain more stable pseudo labels.

$$\tilde{\mathbf{y}}_i^s = \begin{cases} \mathbf{y}_i^s & \text{if } e \leq W \\ (1 - \alpha) \cdot \mathbf{y}_i^s + \alpha \cdot P_{\tilde{\mathbf{C}}_f}(\mathbf{x}_i^s) & \text{otherwise} \end{cases}$$

# Implementation Details

- Dynamic Update
  - During training phase, the feature space keeps changing for every iteration.
  - Without updating centers, the quality of the estimated pseudo centers would progressively deteriorate.
  - At certain intervals, we re-estimate the pseudo labels and centers over current feature space.

# Experiments on Major SSDA Datasets

Method	R → C		R → P		P → C		C → S		S → P		R → S		P → R		Mean	
	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot	1-shot	3-shot
S+T	55.6	60.0	60.6	62.2	56.8	59.4	50.8	55.0	56.0	59.5	46.3	50.1	71.8	73.9	56.9	60.0
DANN [5]	58.2	59.8	61.4	62.8	56.3	59.6	52.8	55.4	57.4	59.9	52.2	54.9	70.3	72.2	58.4	60.7
ENT [6]	65.2	71.0	65.9	69.2	65.4	71.1	54.6	60.0	59.7	62.1	52.1	61.1	75.0	78.6	62.6	67.6
APE [10]	70.4	76.6	70.8	72.1	72.9	76.7	56.7	63.1	64.5	66.1	63.0	67.8	76.6	79.4	67.6	71.7
DECOTA [31]	79.1	80.4	74.9	75.2	76.9	78.7	65.1	68.6	72.0	72.7	69.7	71.9	79.6	81.5	73.9	75.6
MCL [30]	77.4	79.4	74.6	<b>76.3</b>	75.5	78.8	66.4	70.9	<b>74.0</b>	<b>74.7</b>	70.7	72.3	<b>82.0</b>	<b>83.3</b>	74.4	76.5
MME [21]	70.0	72.2	67.7	69.7	69.0	71.7	56.3	61.8	64.8	66.8	61.0	61.9	76.1	78.5	66.4	68.9
MME + SLA (ours)	71.8	73.3	68.2	70.1	70.4	72.7	59.3	63.4	64.9	67.3	61.8	63.9	77.2	79.6	68.8	70.0
CDAC [12]	77.4	79.6	74.2	75.1	75.5	79.3	67.6	69.9	71.0	73.4	69.2	72.5	80.4	81.9	73.6	76.0
CDAC + SLA (ours)	<b>79.8</b>	<b>81.6</b>	<b>75.6</b>	76.0	<b>77.4</b>	<b>80.3</b>	<b>68.1</b>	<b>71.3</b>	71.7	73.5	<b>71.7</b>	<b>73.5</b>	80.4	82.5	<b>75.0</b>	<b>76.9</b>

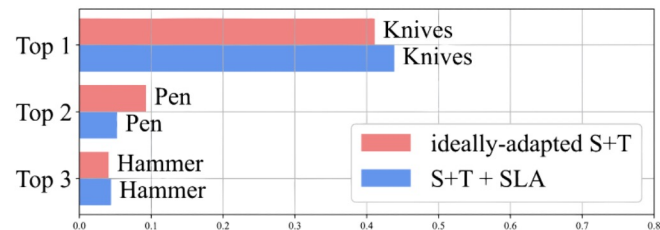
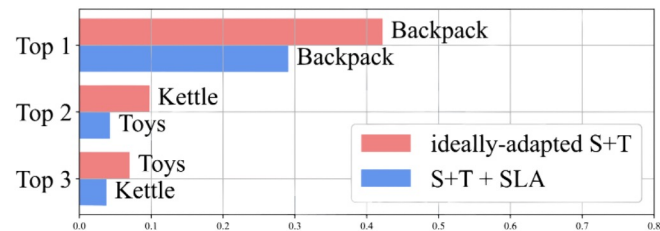
Table 4. Accuracy (%) on *DomainNet* for 1-shot and 3-shot Semi-Supervised Domain Adaptation (ResNet34).

Method	A → C	A → P	A → R	C → A	C → P	C → R	P → A	P → C	P → R	R → A	R → C	R → P	Mean
	Three-shot												
S+T	54.0	73.1	74.2	57.6	72.3	68.3	63.5	53.8	73.1	67.8	55.7	80.8	66.2
DANN [5]	54.7	68.3	73.8	55.1	67.5	67.1	56.6	51.8	69.2	65.2	57.3	75.5	63.5
ENT [6]	61.3	79.5	79.1	64.7	79.1	76.4	63.9	60.5	79.9	70.2	62.6	85.7	71.9
APE [10]	63.9	81.1	80.2	66.6	79.9	76.8	66.1	65.2	82.0	73.4	66.4	86.2	74.0
DECOTA [31]	64.0	81.8	80.5	68.0	<b>83.2</b>	79.0	69.9	68.0	82.1	74.0	<b>70.4</b>	<b>87.7</b>	75.7
MME [21]	63.6	79.0	79.7	67.2	79.3	76.6	65.5	64.6	80.1	71.3	64.6	85.5	73.1
MME + SLA (ours)	65.9	81.1	80.5	<b>69.2</b>	81.9	79.4	69.7	67.4	81.9	<b>74.7</b>	68.4	87.4	75.6
CDAC [12]	65.9	80.3	80.6	67.4	81.4	<b>80.2</b>	67.5	67.0	81.9	72.2	67.8	85.6	74.8
CDAC + SLA (ours)	<b>67.3</b>	<b>82.6</b>	<b>81.4</b>	<b>69.2</b>	82.1	80.1	<b>70.1</b>	<b>69.3</b>	<b>82.5</b>	73.9	70.1	87.1	<b>76.3</b>

Table 5. Accuracy (%) on *Office-Home* for 1-shot and 3-shot Semi-Supervised Domain Adaptation (ResNet34).

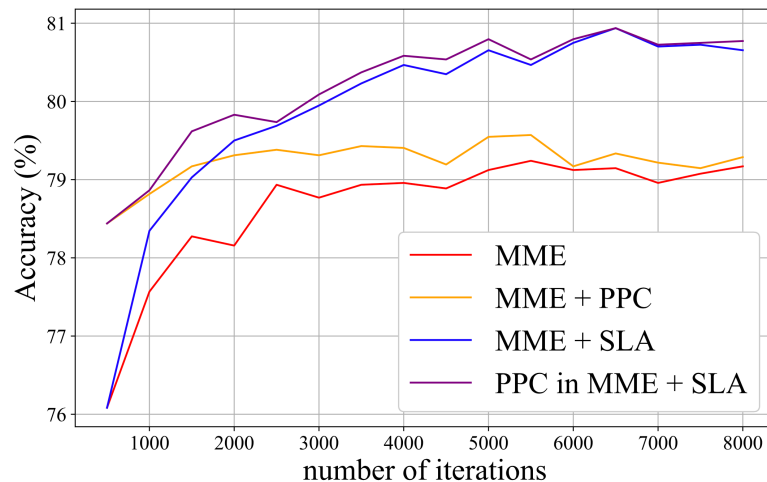
# Adapted Labels

- For the backpack case, SLA suggests to adapt the label from 100% backpack to:
  - 30% Backpack
  - 5% Toys
  - 4% Kettle.
- The adapted labels are much closer to the ideally-adapted labels ( $g^*(x^S)$ ).



# The Intermediate Results in SLA

- PPC is actually a strong model that has performed well on the target domain at the early stage.
- However, without updating the source labels, it will end up converge to the same performance as the original method.
- On the other hand, in our SLA framework, the model leverages the benefits of PPC, resulting in better performance.

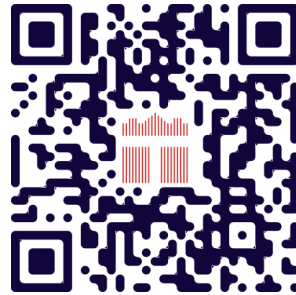




# Conclusion

- General framework
  - Source Label Adaptation for Semi-Supervised Domain Adaptation
- Rethinking the usage of source data
  - Approach Domain Adaptation as a Noisy Label Learning problem.
- Empirical Improvement
  - Our method improve 2 representative SSDA algorithms on 2 major datasets for both 1-shot and 3-shot settings.

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Code is available