

Binary Latent Diffusion

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THU-PM-188



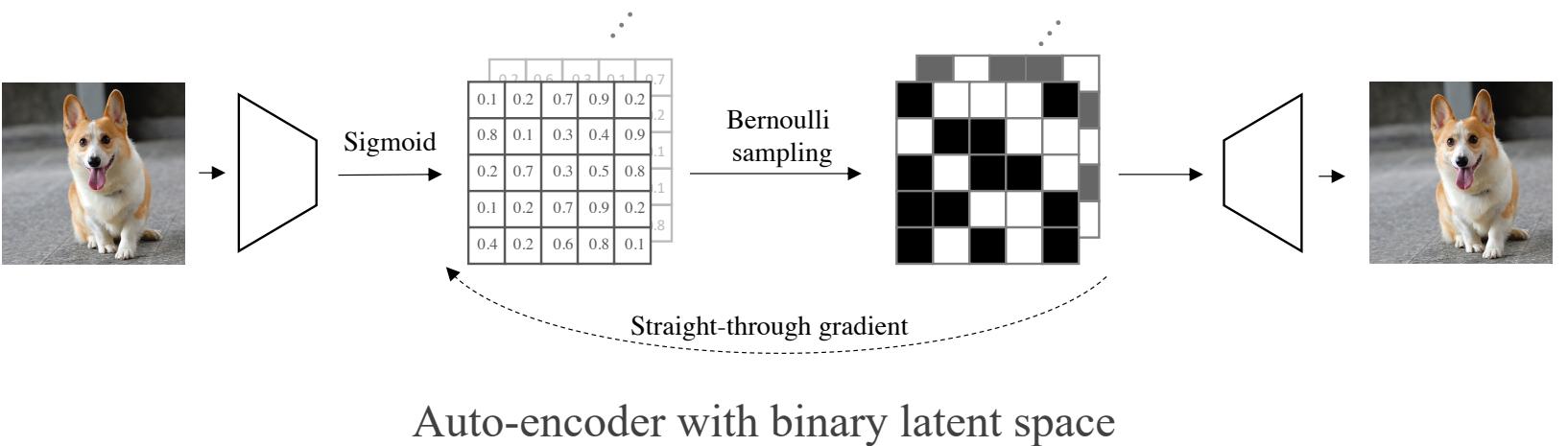
Compact yet expressive representations that allow for efficient diffusion (denoising) processes with high image quality

- Compact: low dimension, compact search space
- Expressive: both high quality and coverage



Binary Latent Diffusion

- Binary Auto-encoder
- Multivariate Bernoulli Diffusion
- Unconditional Sampling
- Class-conditional Sampling
- Text-to-Image Generation



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True data

1.0	0.0	0.0
0.0	1.0	0.0
0.0	1.0	0.0

\mathbf{z}^0

Fully random

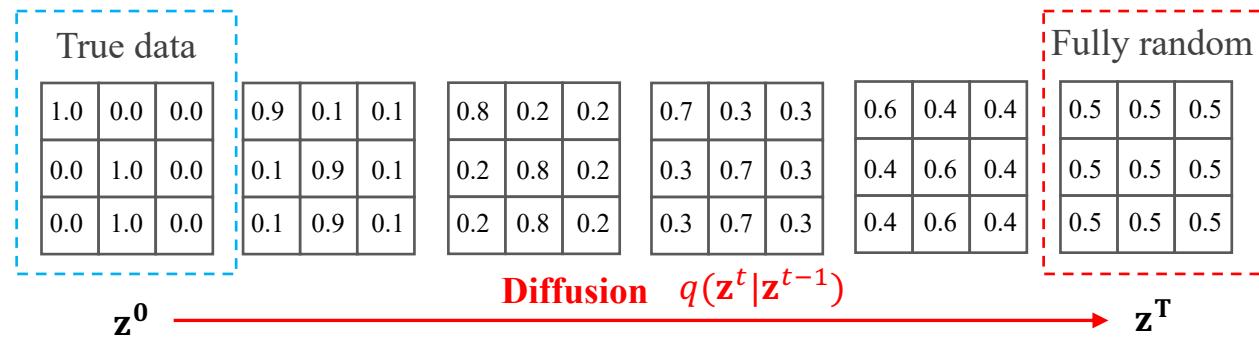
0.5	0.5	0.5
0.5	0.5	0.5
0.5	0.5	0.5

\mathbf{z}^T



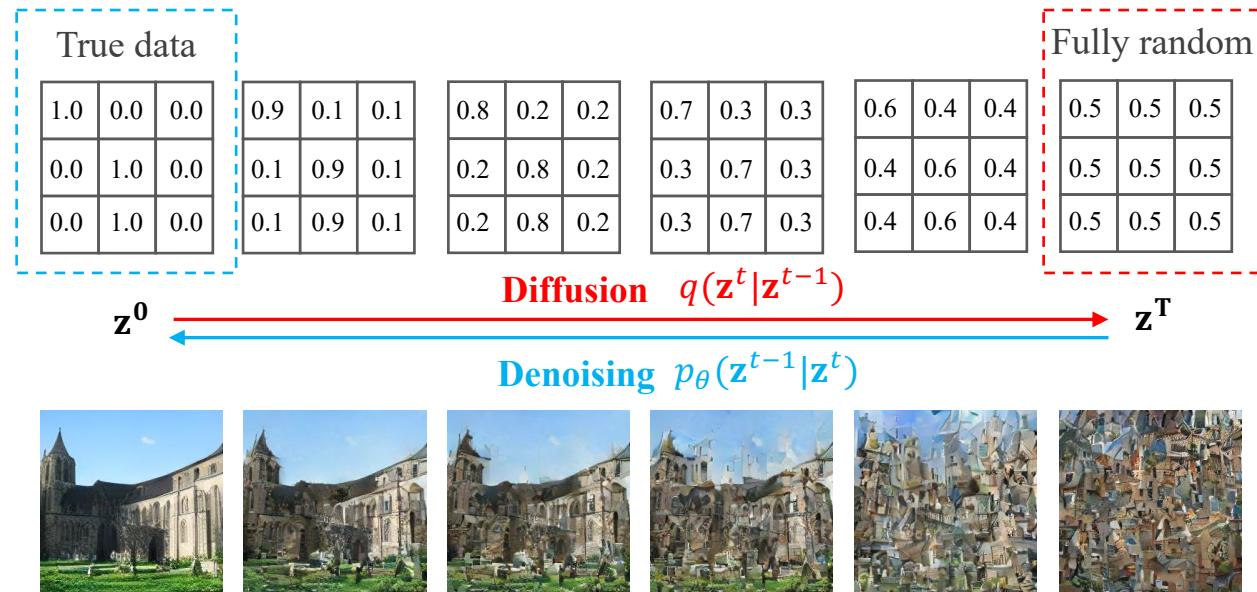
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Reparametrizing the prediction targets

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$$p_{\theta}(\mathbf{z}^{t-1} | \mathbf{z}^t)$$

$$q(\mathbf{z}^t | \mathbf{z}^{t-1}) = \mathcal{B}(\mathbf{z}^t; \mathbf{z}^{t-1}(1 - \beta^t) + 0.5\beta^t)$$



$$p_{\theta}(\mathbf{z}^0 | \mathbf{z}^t)$$

Shared targets across all steps.
Easy step-skipping for sampling.
Faster training convergence and better empirical results.



$$p_{\theta}(\mathbf{z}^0 \oplus \mathbf{z}^t | \mathbf{z}^t)$$

\oplus element-wise logic XOR
Sampler now predicts the flipping of each element, which can be considered as the **residual**.

Enables classifier-free guidance for discrete distribution.

$$\begin{aligned} p_{\theta}(\mathbf{z}^{t-1} | \mathbf{z}^t) = & q(\mathbf{z}^{t-1} | \mathbf{z}^t, \mathbf{z}^0 = \mathbf{0}) p_{\theta}(\mathbf{z}^0 = \mathbf{0} | \mathbf{z}^t) \\ & + q(\mathbf{z}^{t-1} | \mathbf{z}^t, \mathbf{z}^0 = \mathbf{1}) p_{\theta}(\mathbf{z}^0 = \mathbf{1} | \mathbf{z}^t) \end{aligned}$$

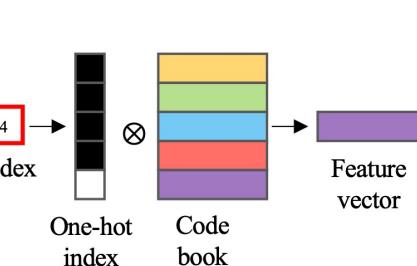
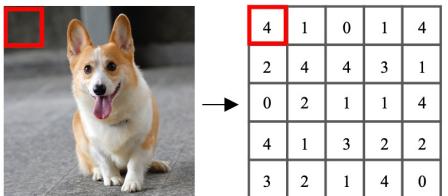


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Comparing to VQ and LDM from a dictionary perspective

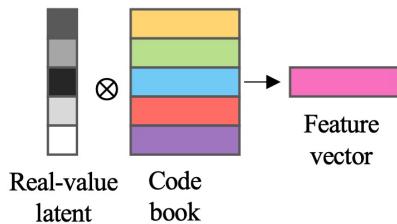
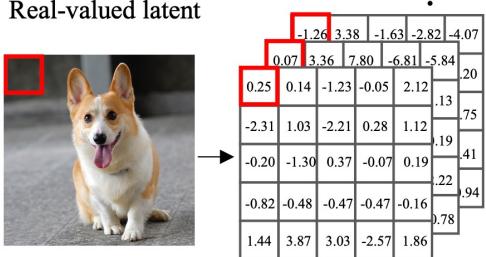
Vector quantization



One-hot selection of dictionary atoms

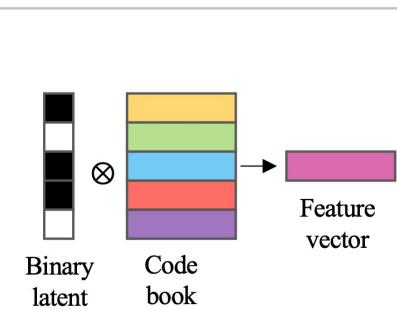
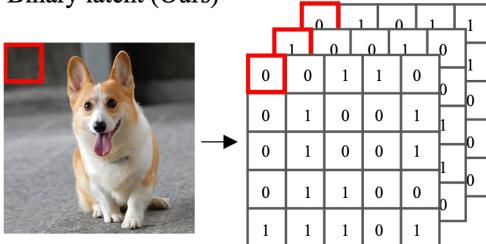
Large codebook, small patch size, to cover sufficiently diverse patterns

Real-valued latent



Linear combination of dictionary atoms

Binary latent (Ours)



Binary combination of dictionary atoms



Binary Latent Diffusion

$$f_{\theta}(z^t, t) = \sigma(T_{\theta}(z^t, t)/\tau)$$

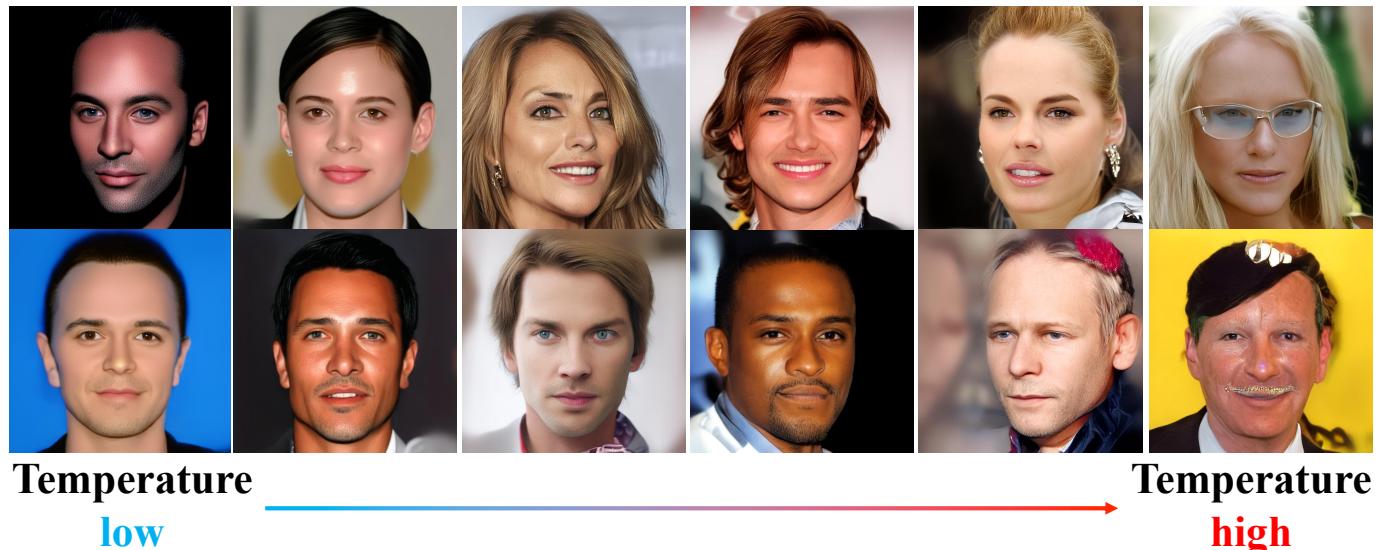
f_{θ} Sampling function

σ Sigmoid function

T_{θ} Transformer parametrizing the sampling function

τ Sampling temperature (effective only during sampling), decides diversity

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 - High resolution
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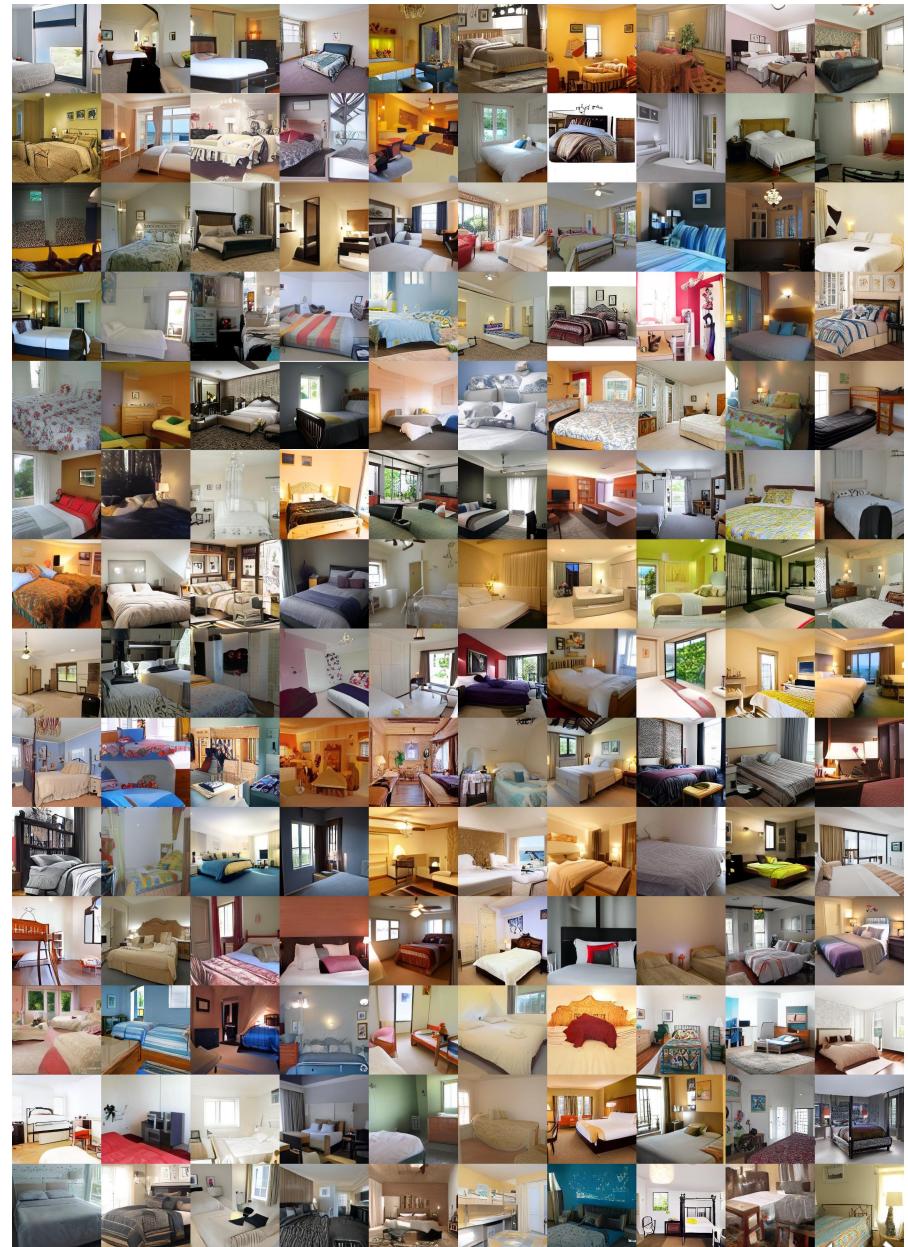


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LSUN Churches



LSUN Bedrooms



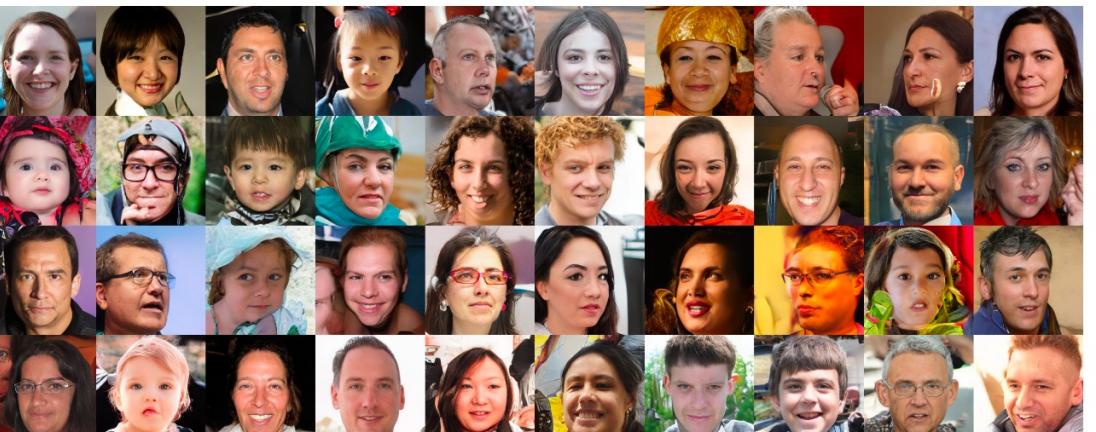
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Higher speed, comparable results

Methods	StyleGAN-2	Absorbing	LDM
s/sample	0.04	3.40	15.68

Methods	DDPM	Ours 64s	Ours 16s
s/sample	63.85	0.82	0.20

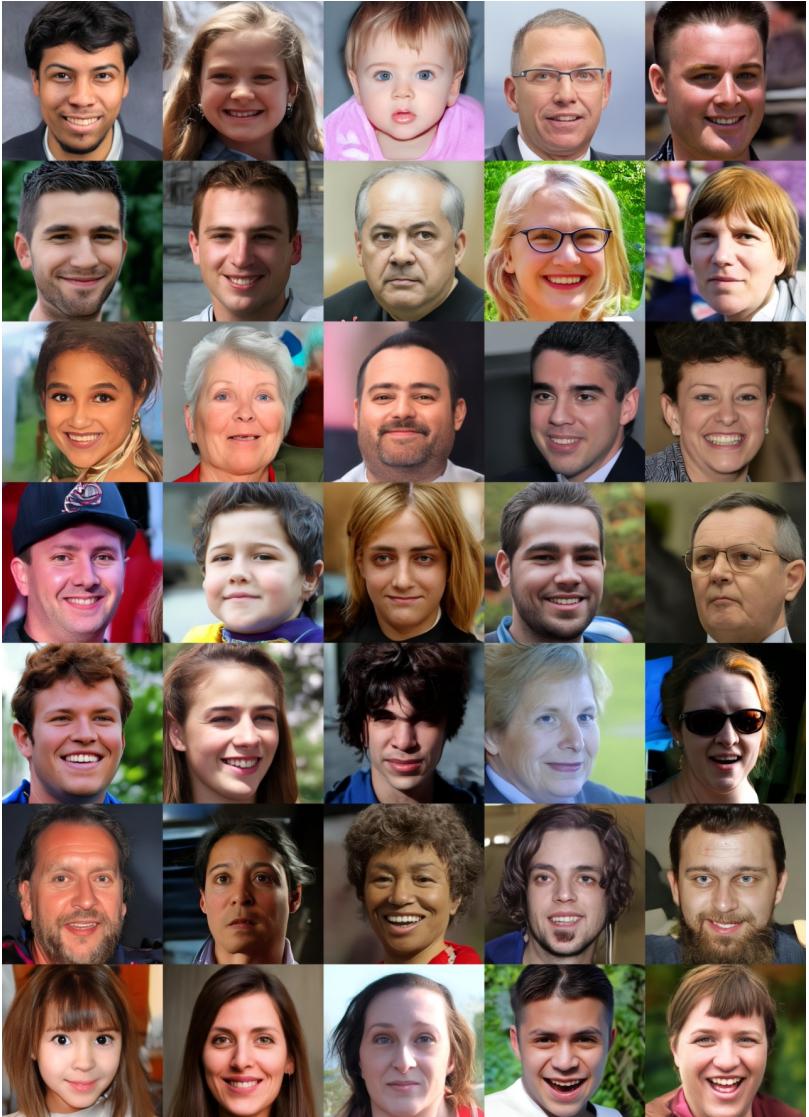


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High-resolution image generation in one shot

1024x1024 images generated with 32x32 latent. 32x downsampling ratio.



FFHQ 1024 x 1024



CelebA-HQ 1024 x 1024

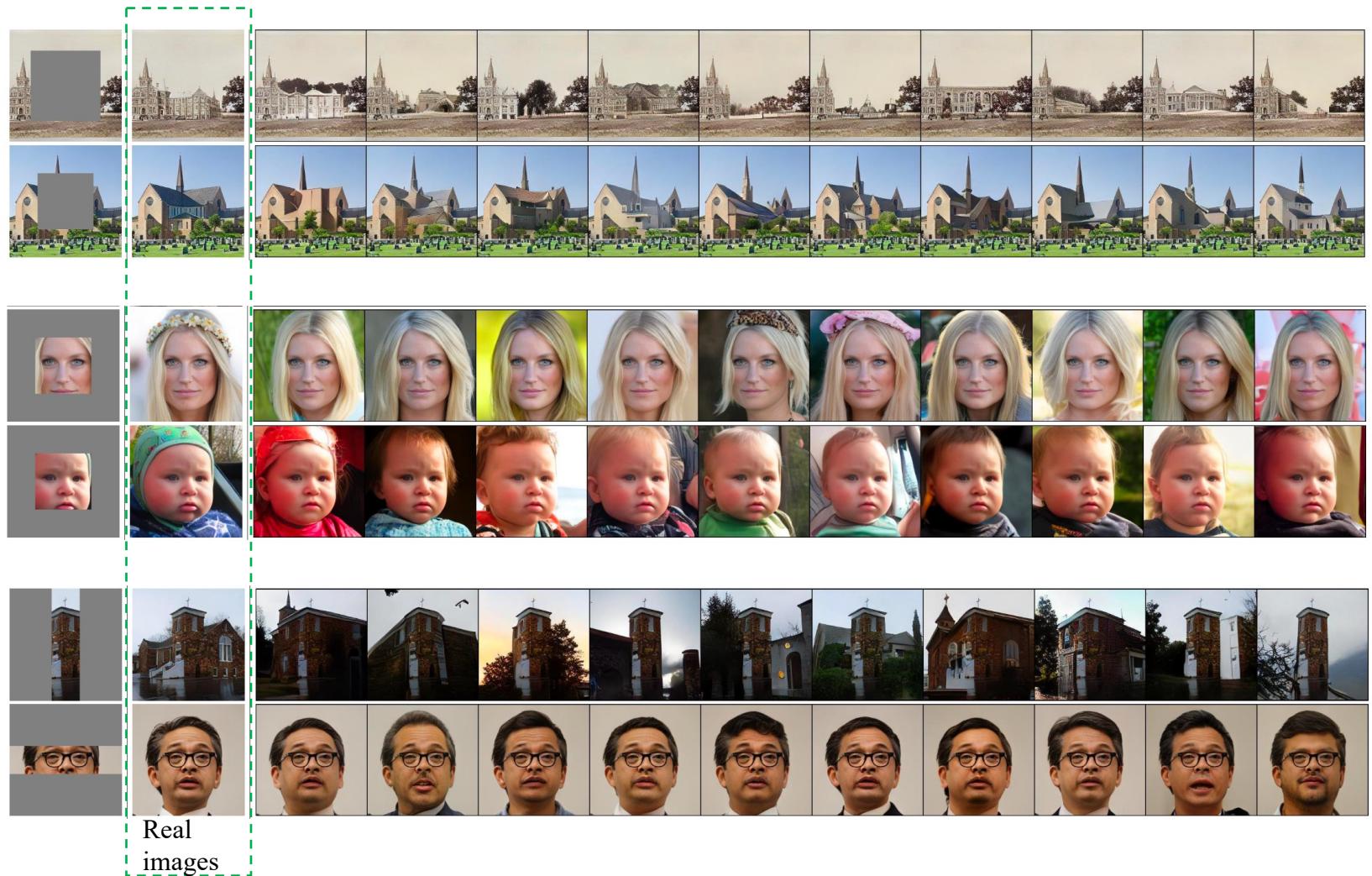


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Conditional sampling after unconditional training

with different scales and patterns of masking.

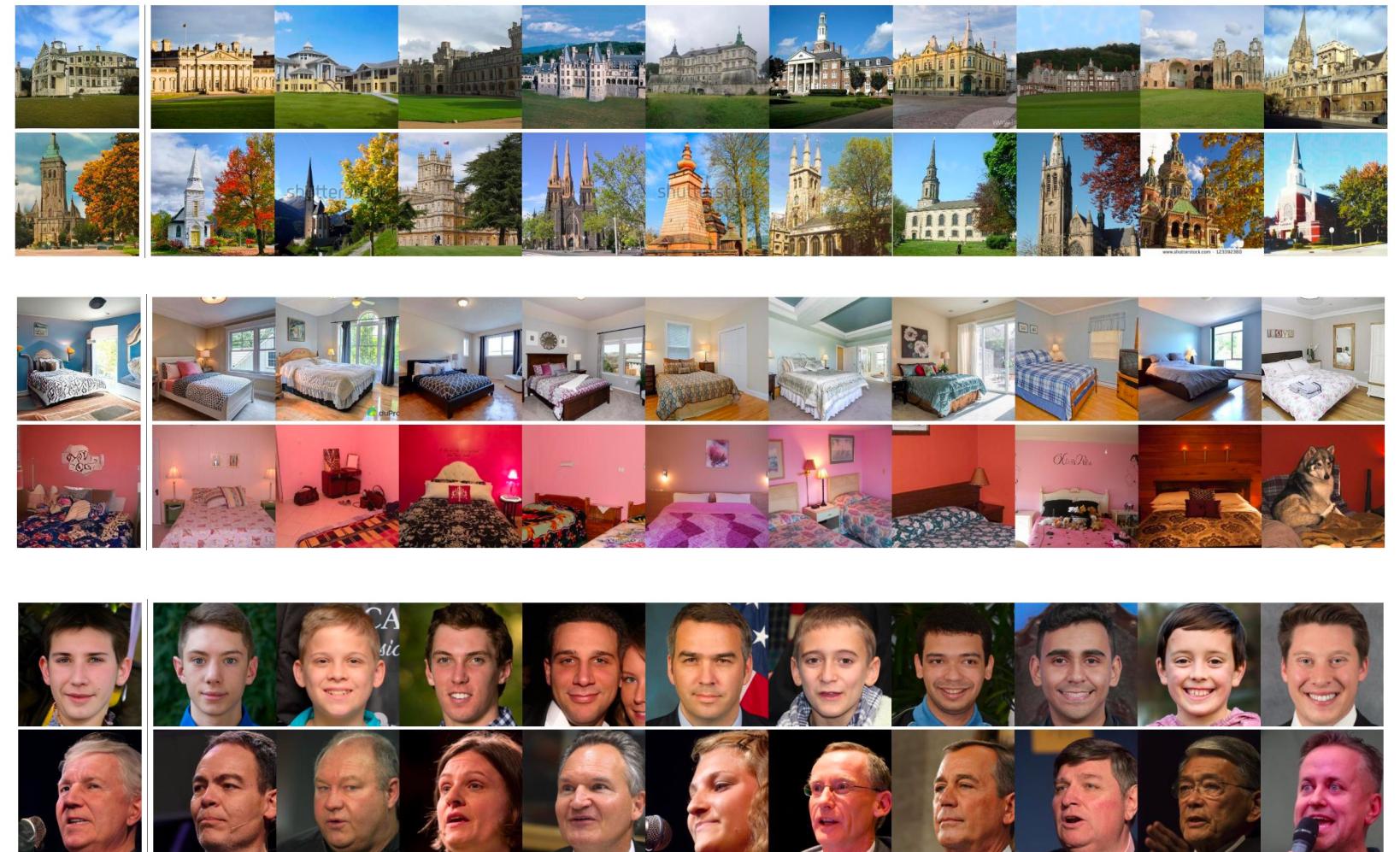


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Top-10 Nearest Neighbors in the Training Datasets

The models are **not** overfitting to the training data.



Generated

Nearest neighbors



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Standard sampling:
 $f_{\theta}(z^t, t, c) = \sigma(T_{\theta}(z^t, t, c)/\tau)$

Sampling with Classifier-free guidance:
 $f_{\theta}(z^t, t, c) = \sigma((1 + \omega)T_{\theta}(z^t, t, \textcolor{red}{c}) - \omega T_{\theta}(z^t, t))$
Higher ω , higher image quality but lower diversity



$$\omega = 0$$



$$\omega = 2.5$$



$$\omega = 10.0$$



Thank you!

